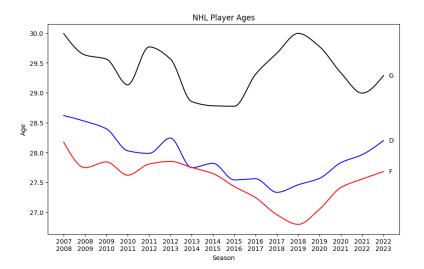
Age and Decay

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► How does age affect year-to-year ability among NHL players?

Age by Position



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 - Key is relationship between the players we get to see and the players we don't.
 - ▶ We don't see them (in the NHL) but they are seen.

Historical Work

"What does not get observed can be used to make age curves stronger: estimating player age curves using regression and imputation."

- Michael Schuckers
- Michael Lopez
- Brian Macdonald

Deceptively simple model

Observed One term for each age in years, A_{23}^{\bullet}

Hidden One term for each age in years, A_{23}^{\bigcirc}

Desired Aging curve: $wA_{23}^{\bullet} + (1 - w)A_{23}^{\bigcirc}$

Ages run from 18 to 50 (but today you only get to see up to 40)

Cohort

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- ▶ All players who have played 1000 minutes of regular season hockey since the start of 2007-2008. (It's 1,589 guys)
- ▶ Ability data from 2007-2008 and 2022-2023 is excluded.

Data: Mid-career years

Player ability result of Y_{23} , encoded as A_{23}^{ullet}

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► The most elaborate way to compute an average you've ever seen.

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► That is:

$$Y_{38} \sim A_{39}^{\bigcirc} + A_{38}^{\bullet} - A_{39}^{\bullet}$$



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When there are more entries/exits near certain ages, the hidden and observed values for those ages are tied together more tightly.

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► We guess.

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▶ We impute.

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- Simulate from normal distribution:
 - Centred at the observed average
 - With a suitably inflated variance
 - ► Truncated at the 75th percentile

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- ► We impute.
- Simulate from normal distribution:
 - Centred at the observed average
 - With a suitably inflated variance
 - Truncated at the 75th percentile
 - This percentile controls how much we trust the gatekeepers to do their jobs properly.

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 - ► That is:

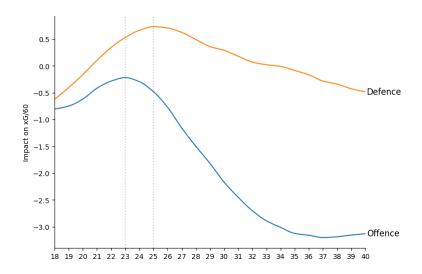
$$w_{23}A_{23}^{\bullet} + (1 - w_{23})A_{23}^{\circlearrowleft} \sim w_{24}A_{24}^{\bullet} + (1 - w_{24})A_{24}^{\circlearrowleft}$$



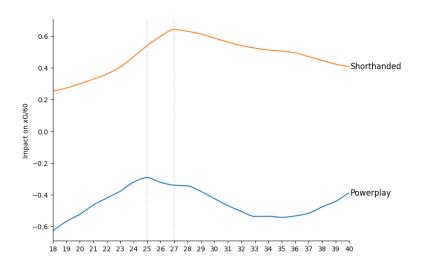
Offence



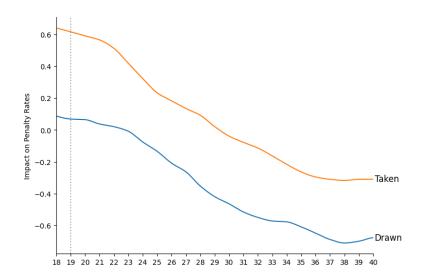
5v5 xG Rates



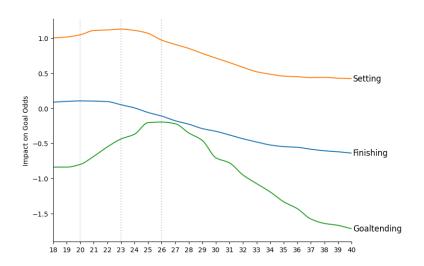
Special Teams xG Rates



Penalties



Goal Threat



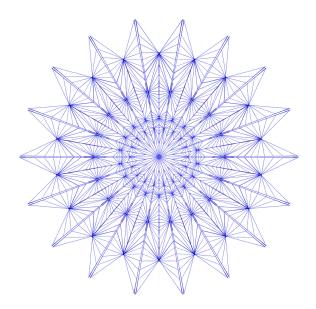
Conclusions

- Peaks and slopes are different for different skills.
- Some players will peak later, but then some will peak earlier.
- Average declines are slowwww.

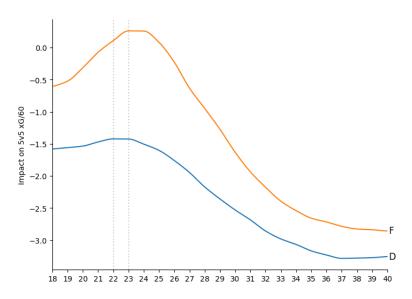
Future Work

- Specific percentiles
- Replace imputation structure with a more sophisticated model.
- Experience vs wear & tear.
- ▶ Individual / subgroup distinctions.

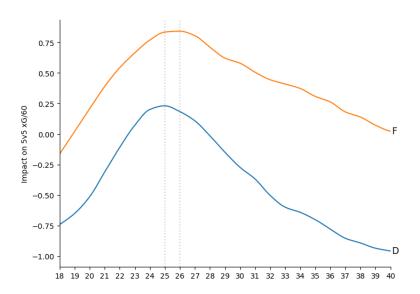
Thanks!



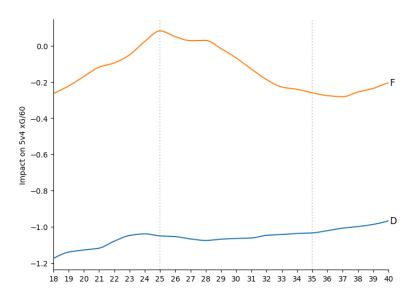
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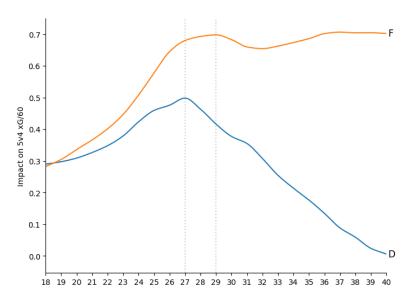
Defence



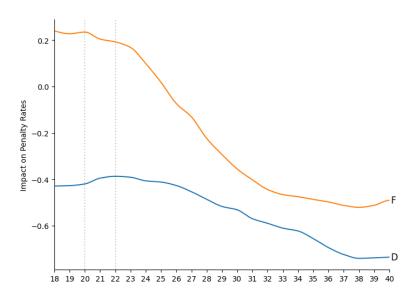
Powerplay



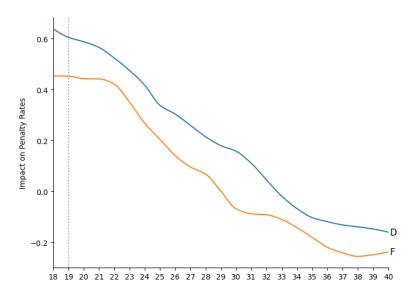
Shorthanded



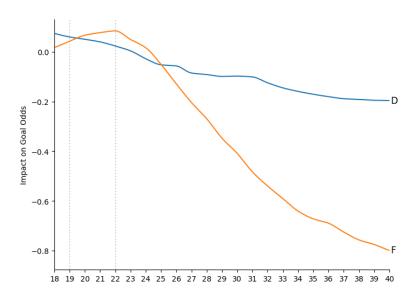
Drawn



Taken



Finishing



Setting

